## Amphenol Broadband Solutions

## Cable IOI Training Series

## Cable Math



| dBmV | mV |
| :--- | :--- |
| $d B=10 \times \log _{10}(\mathrm{P} 2 / \mathrm{P1})$ | Metric system |
| $10^{2}$ | $2+2=?$ |

## Cable Math Learning Objectives

- Metric System
- Powers of 10
- Logarithms
- dB and dBmV
- Cable Loss
- HFC and Drop Caculations


## Metric System

- Metric system is used in most of the world, except the USA
- Measures volume(liters), =weight(kilograms) and distance(meters)
- Smaller or larger units of measure are all based on the power of 10

- Only one basic unit for distance, the meter PlMator
- I Kilometer $=\mathrm{I}, 000$ Meters $=10,000$ decimeters $=1,000,000$ centimeters
- $\mid$ Mile $=1,760$ Yards $=5,280$ Feet $=63,360$ Inches


## Powers of 10

- Powers of 10 is used in the decimal system that we use everyday
- 10 is the basic number in our numbering system, just like the meter is the basic unit of measurement in the metric system
- Express very large or small numbers in a compact and easy to calculate way

```
- \(10^{2^{2}}(10\) Exponent squared \()=10 \times 10=100\)
Base
\({ }^{\text {Base }} 10^{3}(10\) cubed \()=10 \times 10 \times 10=1,000\)
- \(10^{6}=10 \times 10 \times 10 \times 10 \times 10 \times 10=1,000,000\)
- \(10^{9}=10 \times 10 \times 10 \times 10 \times 10 \times 10 \times 10 \times 10 \times 10=1,000,000,000\)
```


## Powers of 10

- Numbers less than zero can be expressed using negative powers of 10
- $10^{-3}=001$
- $10^{-6}=000001$
- $10^{-9}=000000001$


## Powers of 10

| Power <br> of 10 | Number |
| :--- | ---: | :--- | :--- | :--- |$\quad$ Decimal | Metric |
| :---: |
| Prefix |$\quad$| Metric |
| :---: |
| Symbol |

## Metric System

| Metric | Metric | Common |
| :--- | :---: | :---: |
| Prefix | Symbol | Nomenclature |
| Tera | T | $\mathrm{TB}=$ Terabyte |
| Giga | G | $\mathrm{GHz}=$ Gigahertz |
| Mega | M | $\mathrm{MHz}=$ Megahertz |
| Kilo | K | $\mathrm{KHz}=$ Kilohertz |
| Hecto | H |  |
| Deca | D |  |
|  |  |  |
| deci | d | $\mathrm{dB}=$ decibel |
| centi | c | $\mathrm{cm}=$ centimeter |
| milli | m | $\mathrm{mV}=$ millivolt |
| micro | $\mu$ | $\mu \mathrm{V}=$ microvolt |
| nano | n | $\mathrm{nm}=$ nanometer |
| pico | P | $\mathrm{pf}=$ picofarad |

## Metric System

$$
\begin{array}{r}
\text { I Kilometer }=1,000,000 \text { Meters }=0.62 \text { Miles } \\
\text { I Meter }=3.28 \text { Feet } \\
\text { I centimeter }=.01 \text { meters }=0.39 \text { Inches }
\end{array}
$$

$$
0 \mathrm{dBmV}=1 \text { millivolt }=0.001 \text { volt } \square
$$

$$
32 \mathrm{~GB}=32 \text { Gigabyte }=32,000,000,000 \text { byte's }
$$

## Metric System

$$
\begin{array}{lrr}
32,400 \mu \mathrm{HV} \text { (microvolt) } & 32,400 & =32.4 \mathrm{mV} \\
0.7 \mathrm{~V} \text { (Volts) } & 0.700 & =700 \mathrm{mV} \\
860 \mathrm{mV} \text { (millivolts) } & & =860 \mathrm{mV} \\
& & =1,592.4 \mathrm{mV}
\end{array}
$$

## Logarithms

- The logarithm (log) is the number to which the base must be raised in order to produce that number
- Logs express large numbers simply
- Simplifies calculations because the addition and subtraction of logarithms is equivalent to multiplication and division
- Logarithms can be expressed as powers of any number, most cable applications uses the power of 10
- Used for decibels, gain, loss, signal levels, carrier-to-noise and noise figures


# Logarithms 

I Kilometer<br>= 1,000 Meters<br>$=10 \times 10 \times 10$<br>$=10^{3}$<br>$=\log 3$

## Logarithms

$$
\begin{aligned}
& 10098=10 g 4 \\
& 100,000=\log 5 \\
& 1,000000=10 \\
& 1096 \\
& 1,000,000,000=\log 9 \\
& 1,000,000,000,000=\log 12 \\
& \log -3=, 001 \\
& \log -6=, 000,001 \\
& \log -9=, 000,000,00 \mid
\end{aligned}
$$

## Logarithms

## 593,766,821,6382 <br> 8.77

| 593,7\%57821.6382 |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | ) | mc | m+ | m- | mr | c | +/ | \% | $\div$ |
| $2^{\text {nd }}$ | $\mathrm{x}^{2}$ | $\mathrm{x}^{3}$ | $x^{y}$ | $\mathrm{e}^{\mathrm{x}}$ | $10^{x}$ | 7 | 8 | 9 | $\times$ |
| $\frac{1}{x}$ | $\sqrt[3]{x}$ | $\sqrt[3]{x}$ | $\sqrt[y]{x}$ | In | $\log _{10}$ | 4 | 5 | 6 | - |
| x! | sin | cos | tan | e | EE | 1 | 2 | 3 | + |
| Rad | sinh | cosh | tanh | $\pi$ | Rand | 0 |  |  | $=$ |

## Decibels

Decibel is one tenth of a bel and is a ratio that compares any two power or voltage levels such as input level to output level, video carrier to noise floor, etc

## bel



## bel



## Decibels

The bel was found to be too large to use for cable communication applications so the decibel, one tenth of a bel, was established

Written as dB

| Power | Value <br> Ratio | Value in <br> in Bels <br> I to I |
| ---: | :---: | :---: |
| 2 to $~$ | 0 | 0 |
| 10 to $~$ | 0.3 | 3 |
| 100 to $~$ | 1 | 10 |
| 1,000 to $~$ | 2 | 20 |
| I | 3 | 30 |

## Decibels

- dB represents the logarithm of a ratio of two signal power or voltage levels
© dB is a relative measurement
- $\mathrm{dB}=10 \times \log _{10}(\mathrm{P} 2 / \mathrm{PI})$, Power
- PI = Input
- P2 = Output
- $\mathrm{dB}=20 \times \log _{10}(\mathrm{~V} 2 / \mathrm{VI})$, Voltage
- VI = Input
- $V 2$ = Output


## Decibels



## Decibels

10 Watts 5 Watts

$$
\begin{aligned}
& \mathrm{dB}=10 \times \log _{10}(\mathrm{P} 2 / \mathrm{PI}) \\
& \mathrm{dB}=10 \times \log _{10}(5 / \mathrm{IO}) \\
& \mathrm{dB}=10 \times \log _{10}(0.5) \\
& \mathrm{dB}=10 \times-0.30 \mathrm{I} \\
& \mathrm{~dB}=-3.0 \mathrm{I} \text { Loss }
\end{aligned}
$$

## dBmV



Very small and cumbersome numbers 3.1623 mV

## dBmV



Experiments were made in the early days of television to determine the minimum signal strength needed to produce a noise free picture


I millivolt was established as the minimum signal level needed to produce a good noise-free video picture

Imilli-volt measured across 75 ohms equals 0 dBmV , this is the standard we use today

## dBmV

## dBmV is a reference related to voltage and is an absolute measurement



## dBmV

dBmV is a reference related to voltage and is an absolute measurement

$\overline{T_{F} C}$

## dB \& dBmV

$$
\begin{aligned}
& 3.1623 \mathrm{mV} \text { in } \\
& 2.1135 \mathrm{mV} \text { out }
\end{aligned}
$$


$d B=20 \times \log (2.1135 / 3.1623)$
$\mathrm{dB}=20 \times \log (.67)$
$d B=20 \times(-.17)$
$\mathrm{dB}=-3.4$

## dB \& dBmV



## dB \& dBmV



## dB \& dBmV

If you can measure it, it's "dBmV"
Absolute signal measurement $0 \mathrm{dBmV}=1 \mathrm{mV}$ across 75 ohms

If you have to calculate it, it's "dB"
Ratio between two power or voltage levels Represents Gain or Loss

## Cable Attenuation

One of the essential steps in the troubleshooting process is how to calculate the amount of attenuation that a length of coaxial cable has

To determine the loss you need to know 3 things:
I. Type of cable
2. Frequency used
3. Cable length

## Cable Attenuation

Cable manufactures provide cable loss tables that indicate the loss of cables in dB per 100 feet at different frequencies

Cable Loss Per 100 Feet

| MHz | RG-59 | RG-6 | RG-II | 0.625 | 0.875 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | 0.77 | 0.58 | 0.38 | 0.13 | 0.09 |
| 45 | I .75 | 1.39 | 0.89 | 0.4 | 0.29 |
| 55 | I .88 | 1.54 | 0.96 | 0.45 | 0.32 |
| 330 | 4.5 | 3.74 | 2.35 | 1.14 | 0.82 |
| 450 | 5.3 | 4.4 | 2.75 | 1.35 | 0.97 |
| 550 | 5.9 | 4.9 | 3.04 | 1.5 I | 1.09 |
| 750 | 6.96 | 5.54 | 3.65 | 1.79 | 1.29 |
| 870 | 7.54 | 6.1 I | 4.06 | 1.95 | 1.41 |
| 1000 | 8.09 | 6.55 | 4.35 | 2.11 | 1.53 |

## Cable Attenuation

How to calculate cable loss:
I. Use the cable loss table to find the loss thru 100 feet of cable

- loss through RG-6 cable at $550 \mathrm{MHz}=4.9 \mathrm{~dB}$

2. Divide the length of the cable by 100

- $140^{\prime}$ (cable length) $\div 100=1.4$ (the multiplier)

3. Multiply the result from step 2, by the cable loss in step I

- $1.4 \times 4.9=6.86 \mathrm{~dB}$


## Cable Attenuation

Example I, calculate the loss through II8 feet of RG-6 cable at 870 MHz
I. Using the cable loss table find the loss thru 100 feet of RG-6 cable at 870 MHz
-6.1I dB
2. Divide the length of the cable by 100

- $118 / 100=1.18$

3. Multiply I.I8 by the cable loss per 100 feet (6.II)

- $1.18 \times 6.1 I=7.2 \mathrm{I} \mathrm{dB}$ cable attenuation


## Cable Attenuation

Example 2, calculate the loss through 56 feet of RG-6 cable at 45 MHz
I. Using the cable loss table find the loss thru 100 feet of RG-6 cable at 45 MHz - 1.39 dB
2. Divide the length of the cable by 100

- $56 / 100=0.56$

3. Multiply 0.56 by the cable loss per 100 feet (I.39)

- $0.56 \times 1.39=0.78 \mathrm{~dB}$ cable attenuation


## HFC Plant

## HFC Plant



Distribution Feeder


## HFC Plant



## Taps



## Taps



## Taps



## Taps

## 23, 20, I7, I4, I I, 8 Values



## HFC Plant



## HFC Plant Return



# Levels in the Home Forward and Return 

## Operating Windows

Use the following as average guidelines to calculate proper operating levels. Each system/operator will have different standards to follow but the math is the same


# How is forward signal loss determined? 

- Output levels at tap
* Length of drop and attenuation
- Passive devices in home
- House cable attenuation
- Active devices in home


## Forward Exercise

|  |  | Analog | Digital |
| :---: | :---: | :---: | :---: |
|  |  | 55 MHz | 750 MHz |
| Distribution Plant | $R$ - 17 | 10 dBmV | 15 dBmV |
| Drop = 200' of RG6 | (@) $55 \mathrm{MHz}-1.5 \mathrm{~dB} / \mathrm{I} 00^{\circ}$ <br> @ $750 \mathrm{MHz}-5.5 \mathrm{~dB} / 100^{\circ}$ | -3dB | -IIdB |
|  |  | 7 dBmV | 4 dBmV |
| Data Splitter |  |  |  |
|  |  |  |  |
| Amplifier/Gain |  |  |  |
|  |  |  |  |
| Splitter = 2 Way |  | -3.5dB | -3.5dB |
|  | $\bigcirc$ | 3.5 dBmV | 0.5 dBmV |
| Outlet Cable $=100$ 'of RG6 |  | -I.5dB | -5.5dB |
| CPE |  | 2.0dBmV | -5.0dBmV |

## Forward Exercise



## Forward Exercise



## How is return signal loss determined?

- Output level of device
- Cable attenuation
- Passive loss
- Active gain
- Tap value
- Tap thru put loss
- Feeder cable attenuation
- Input requirement at first active

HOLLAND

Return Exercise


## Cable Math Summary

- Metric prefix's are used for system measurements
- Powers of 10 tells us how may times we have to multiply IO by itself
- Logarithms express large numbers simply
- dB represents the logarithm of a ratio of two signal power or voltage levels
(3 dBmV is an absolute signal measurement where 0 dBmV $=1 \mathrm{mV}$ across 75 ohms


# Amphenol Broadband Solutions 

# Thank You For Attending This Training On 

## Cable Math

For Additional Training Topics See Our Website At
www.amphenolbroadband.com

